

LECTURE 3

- HW01 due tonight! (very short)
- I'll be away next Wednesday & Friday — Dr. Weng & Prof. Wein will cover

Q. Is $\#$ well-defined as a binary operation on the set of knots? Why/why not?

oriented knots / links

- "orientation" of a knot

- sign of a crossing:

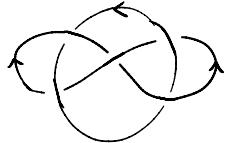


There are other conventions, esp. in other fields. Use the right-hand rule.

- width of diagram; how does width change under Reidem. moves?

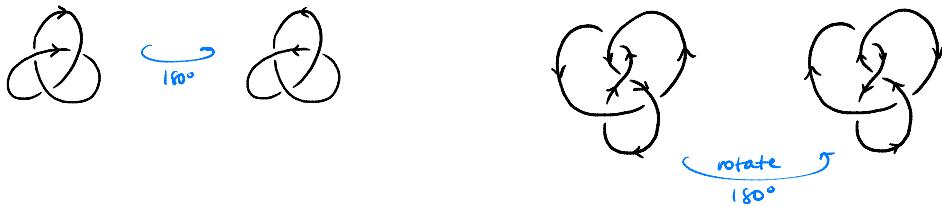


- linking number: don't confuse with width
 - this is a numerical invariant of links (why?)



- how much does it matter where you do the connected sum (Proof with helpful cartoon)

defn A knot K is invertible if $(K, \theta) \sim (K, \bar{\theta})$,
where $\theta, \bar{\theta}$ are opposite orientations on the knot



defn A knot is amphichiral if $K \sim m(K)$ where $m(K)$ is the mirror knot.

eg. $m(\text{Right-handed trefoil}) = \text{left-handed trefoil}$ $K \neq m(K)$

but $m(\text{Figure 8}) = \text{Figure 8}$